

# Volumetric Flow Meter VME

## Technical data



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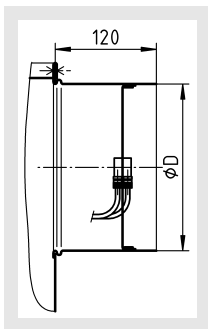
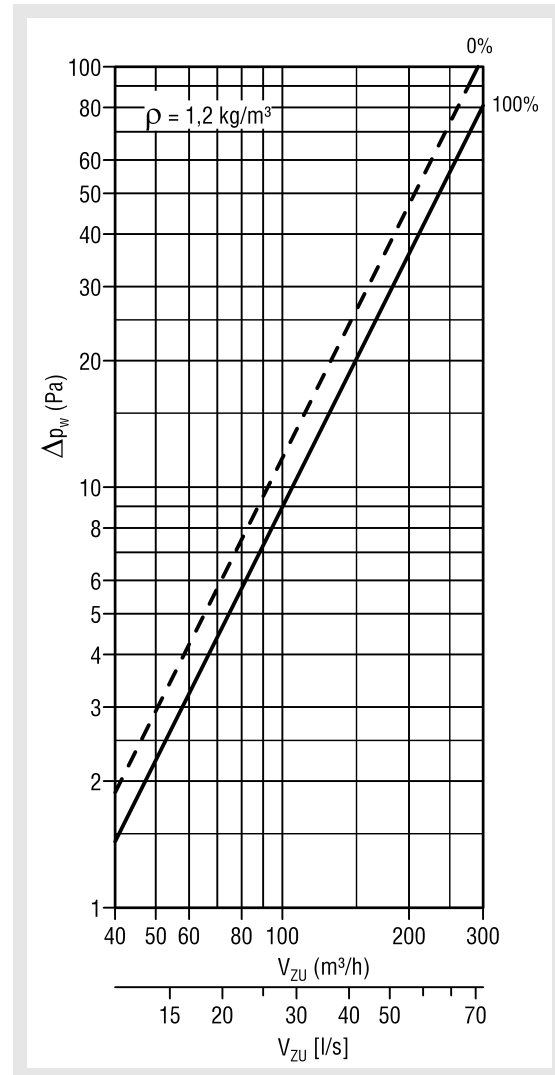
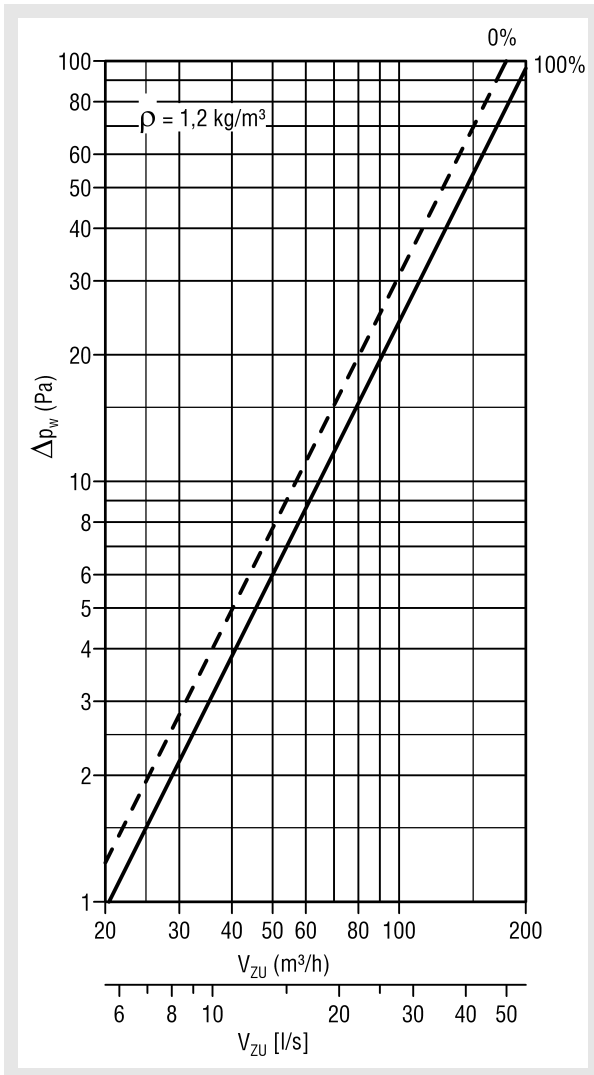
## Volumetric Flow Meter VME

### Effective pressure (supply air)

Volumetric flow meter VME integrated into the connection piece of the plenum box

VME-Z  $\varnothing D=98$

VME-Z  $\varnothing D=123$



#### Damper position:

100 % = OPEN

0 % = CLOSED

#### Legend

$V_{ZU}$  (m<sup>3</sup>/h) = Supply air volume

$V_{ZU}$  [l/s] = Supply air volume

$\rho$  (kg/m<sup>3</sup>) = Density

$\Delta p_w$  (Pa) = Effective pressure

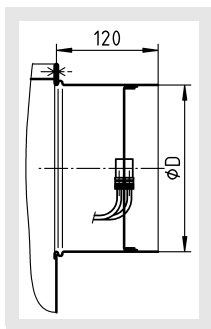
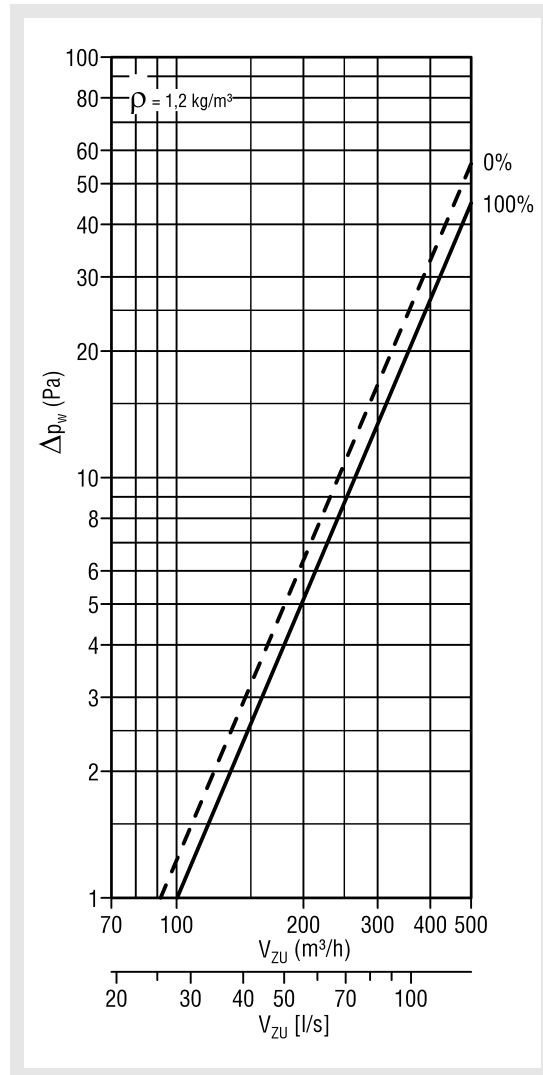
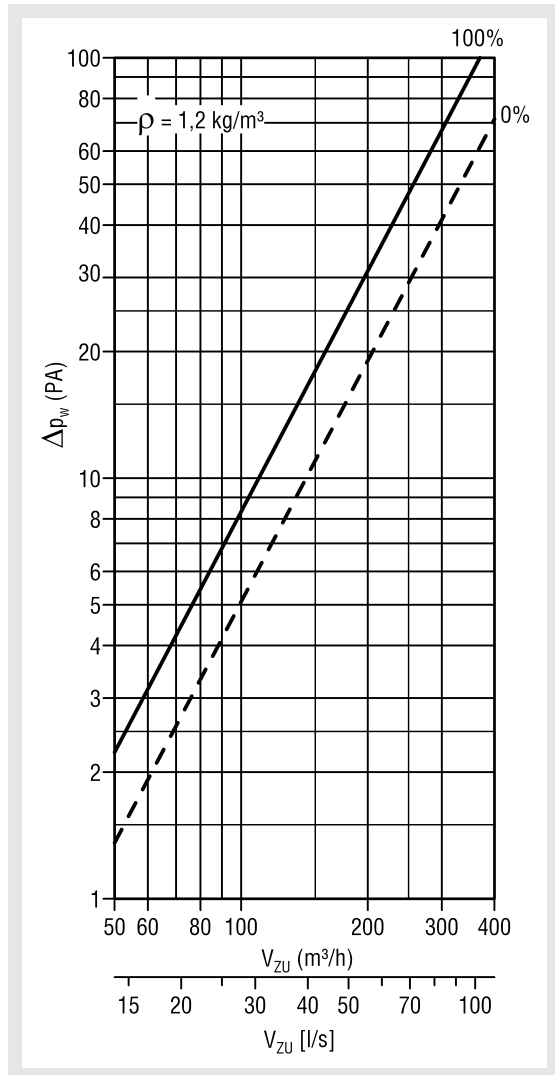
## Volumetric Flow Meter VME

### Effective pressure (supply air)

Volumetric flow meter VME integrated in the connection piece of the plenum box

VME-Z  $\varnothing D=138$

VME-Z  $\varnothing D=158$



#### Damper position:

- 100 % = OPEN
- 0 % = CLOSED

#### Legend

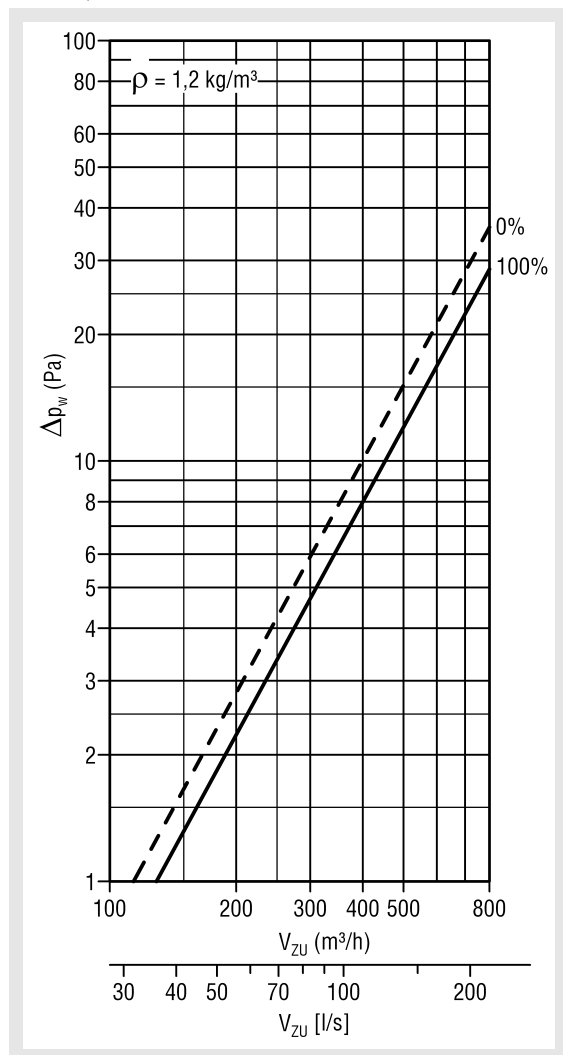
- $V_{ZU}$  ( $m^3/h$ ) = Supply air volume
- $V_{ZU}$  [ $l/s$ ] = Supply air volume
- $\rho$  ( $kg/m^3$ ) = Density
- $\Delta p_w$  (Pa) = Effective pressure

## Volumetric Flow Meter VME

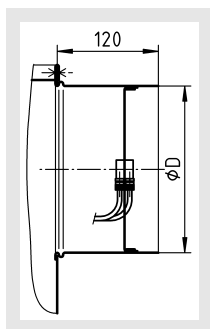
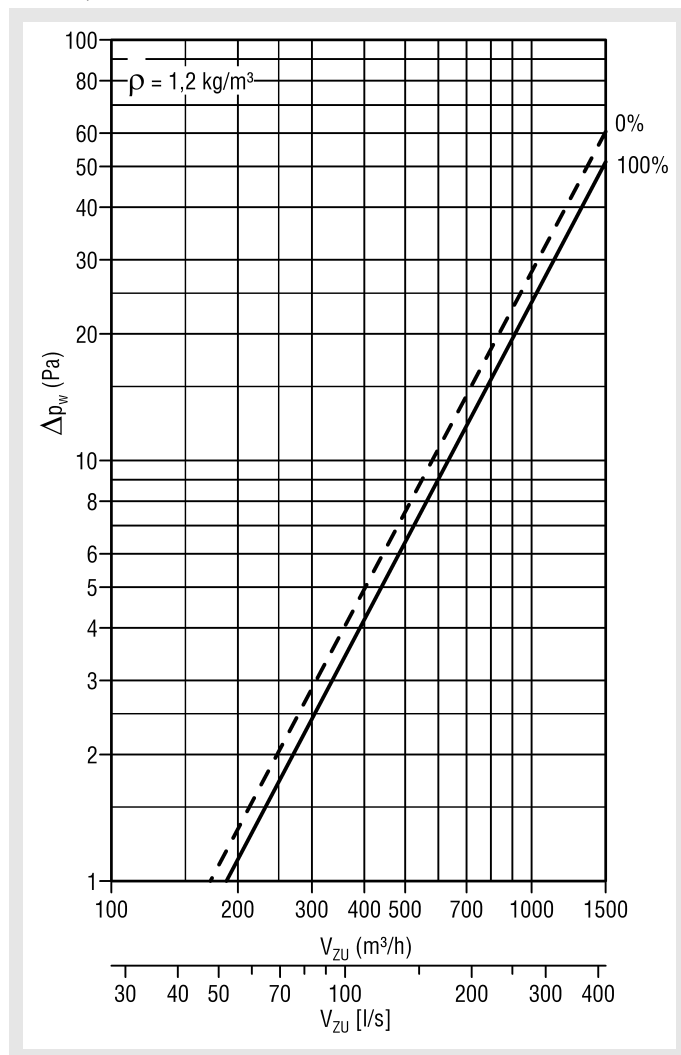
### Effective pressure (supply air)

Volumetric flow meter VME integrated in the connection piece of the plenum box

VME-Z  $\varnothing D=198$



VME-Z  $\varnothing D=248$



#### Damper position:

100 % = OPEN

0 % = CLOSED

#### Legend

$V_{ZU}$  (m<sup>3</sup>/h) = Supply air volume

$V_{ZU}$  [l/s] = Supply air volume

$\rho$  (kg/m<sup>3</sup>) = Density

$\Delta p_w$  (Pa) = Effective pressure

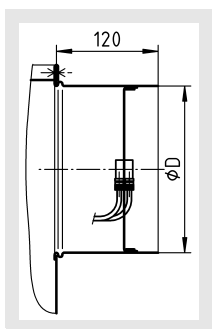
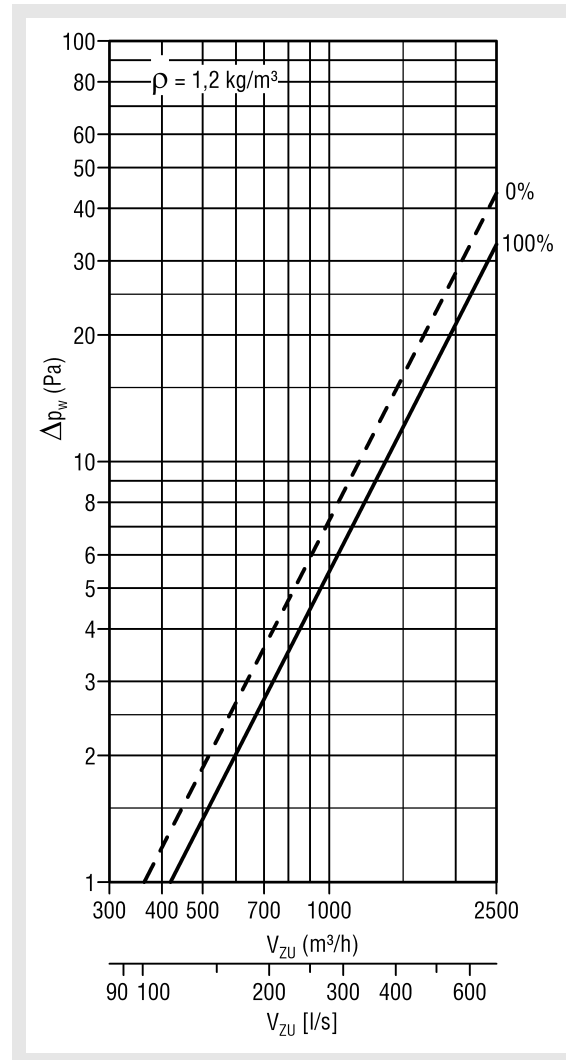
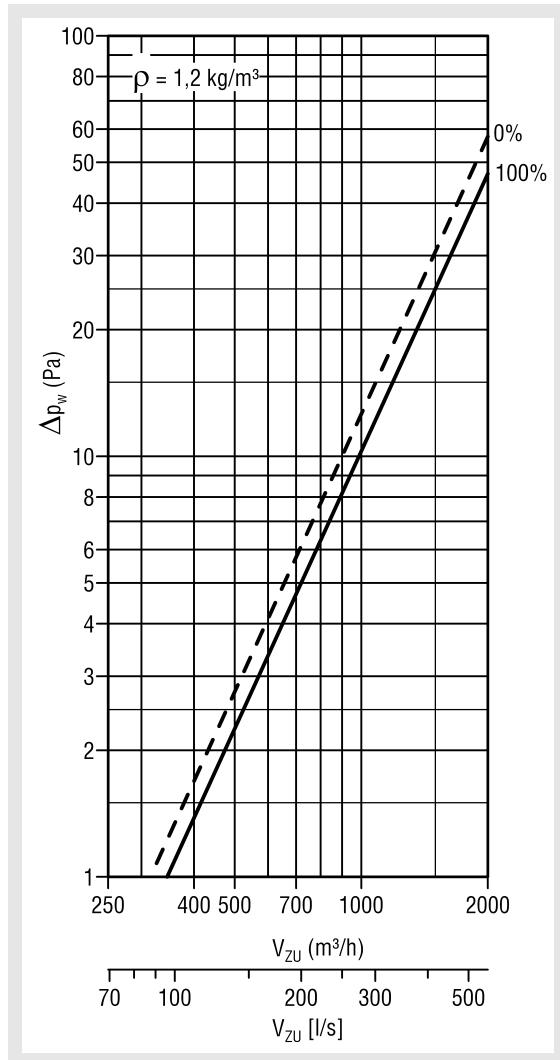
## Volumetric Flow Meter VME

### Effective pressure (supply air)

Volumetric flow meter VME integrated in the connection piece of the plenum box

VME-Z  $\phi D=298$

VME-Z  $\phi D=353$



#### Damper position:

- 100 % = OPEN
- 0 % = CLOSED

#### Legend

- $V_{ZU}$  (m<sup>3</sup>/h) = Supply air volume
- $V_{ZU}$  [l/s] = Supply air volume
- $\rho$  (kg/m<sup>3</sup>) = Density
- $\Delta p_w$  (Pa) = Effective pressure

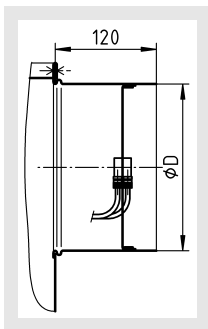
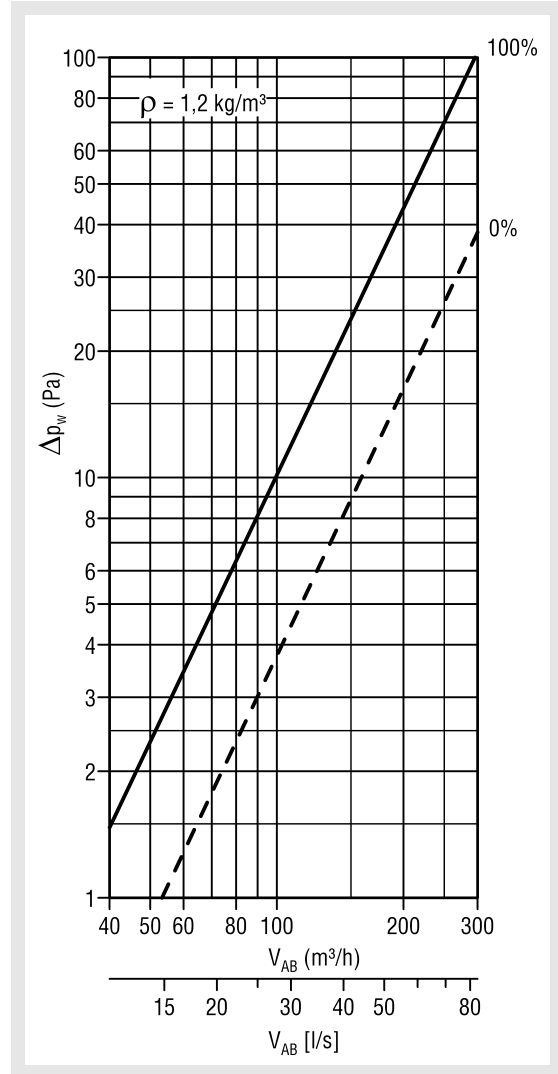
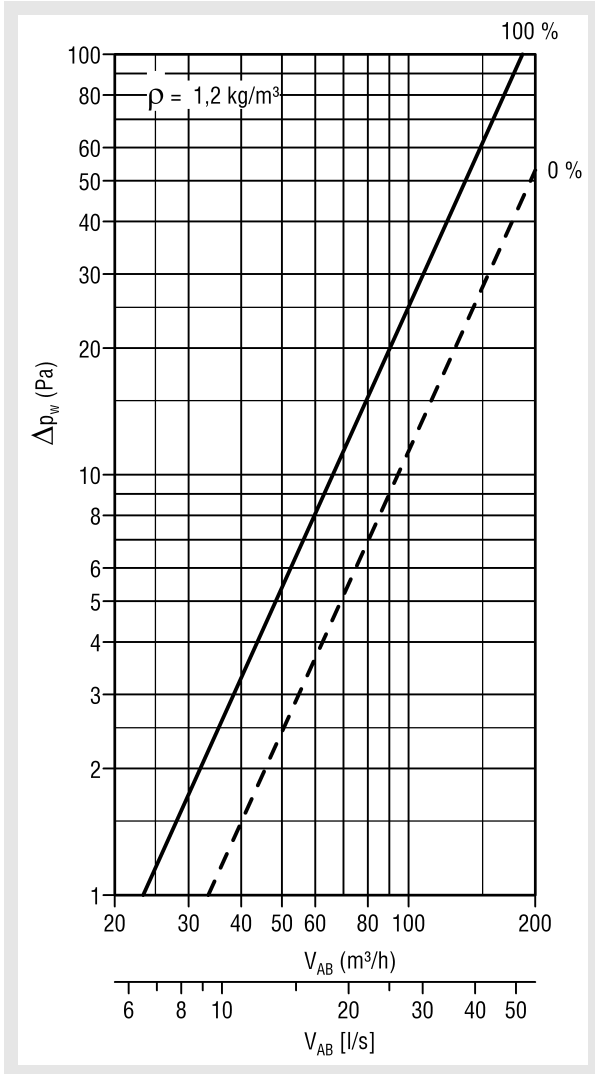
## Volumetric Flow Meter VME

### Effective pressure (return air)

Volumetric flow meter VME integrated in the connection piece of the plenum box

VME-A  $\varnothing D=98$

VME-A  $\varnothing D=123$



#### Damper position:

100 % = OPEN

0 % = CLOSED

#### Legend

$V_{AB}$  (m<sup>3</sup>/h) = Return air volume

$V_{AB}$  [l/s] = Return air volume

$\rho$  (kg/m<sup>3</sup>) = Density

$\Delta p_w$  (Pa) = Effective pressure

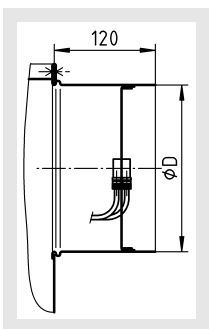
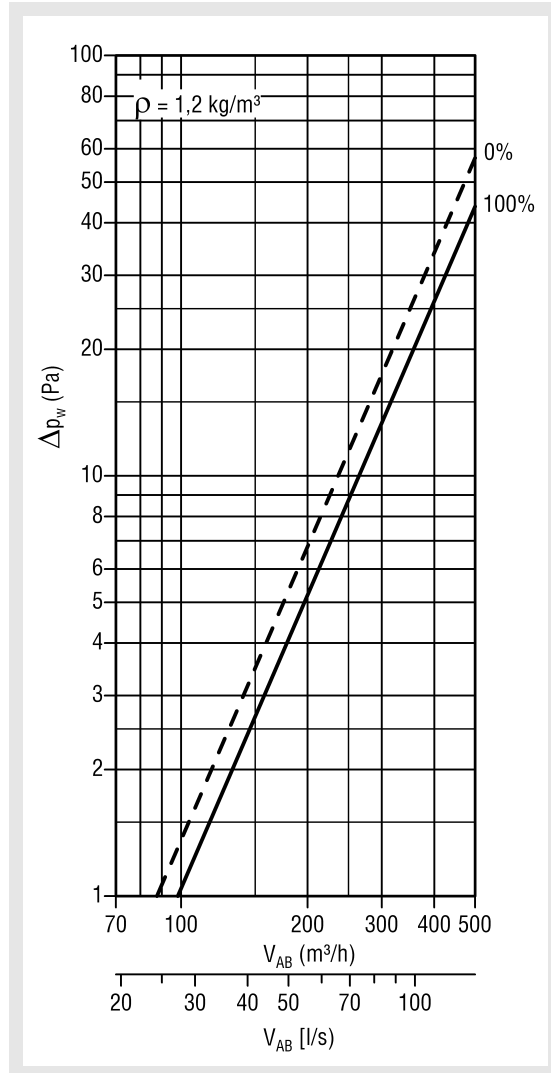
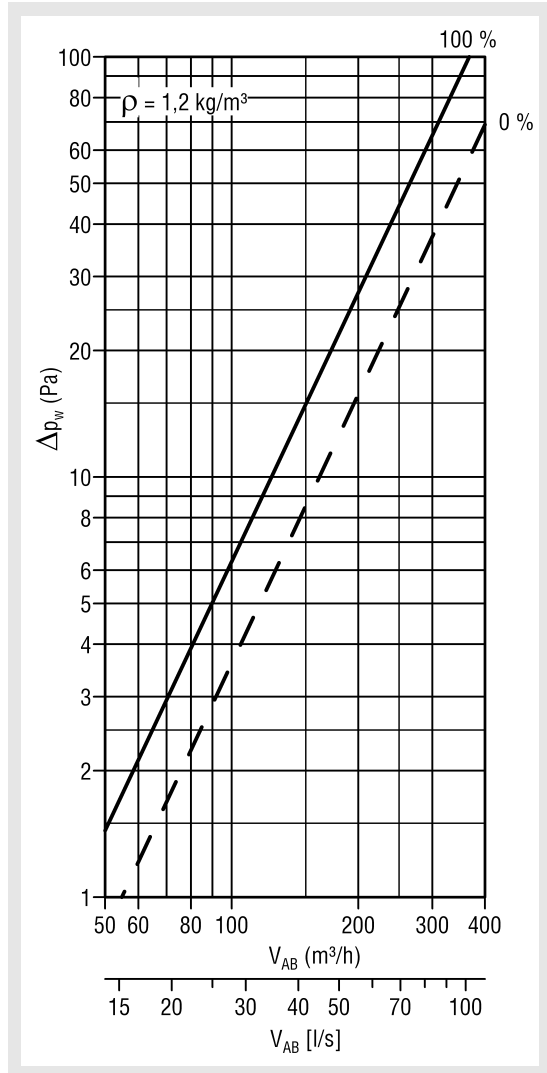
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Volumetric flow meter VME integrated in the connection piece of the plenum box

VME-A  $\varnothing D=138$

VME-A  $\varnothing D=158$



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$\rho$  ( $kg/m^3$ ) = Density

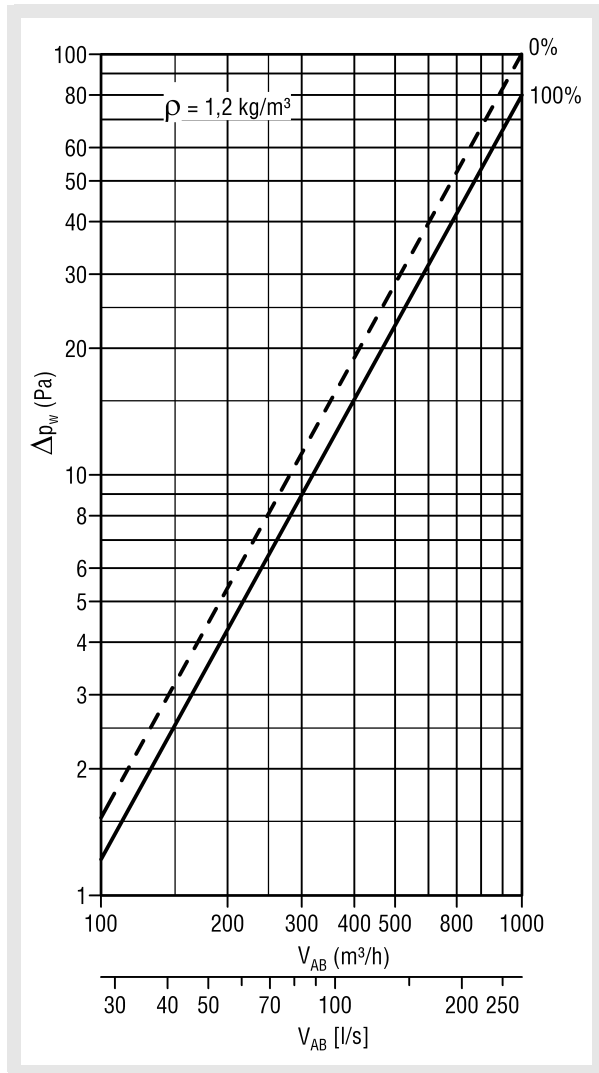
$\Delta p_w$  (Pa) = Effective pressure

# Volumetric Flow Meter VME

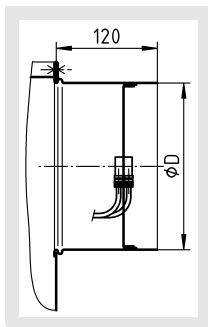
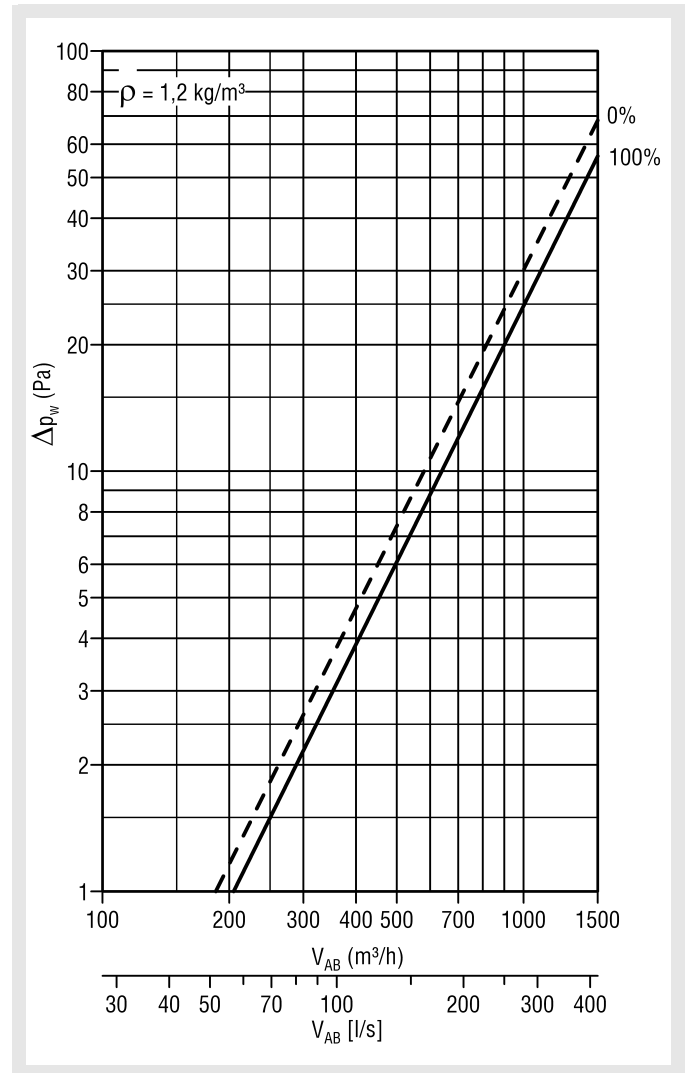
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VME-A  $\varnothing D=198$



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### Damper position:

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### Legend

- $V_{AB}$  (m³/h) = Return air volume
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- $\Delta p_w$  (Pa) = Effective pressure

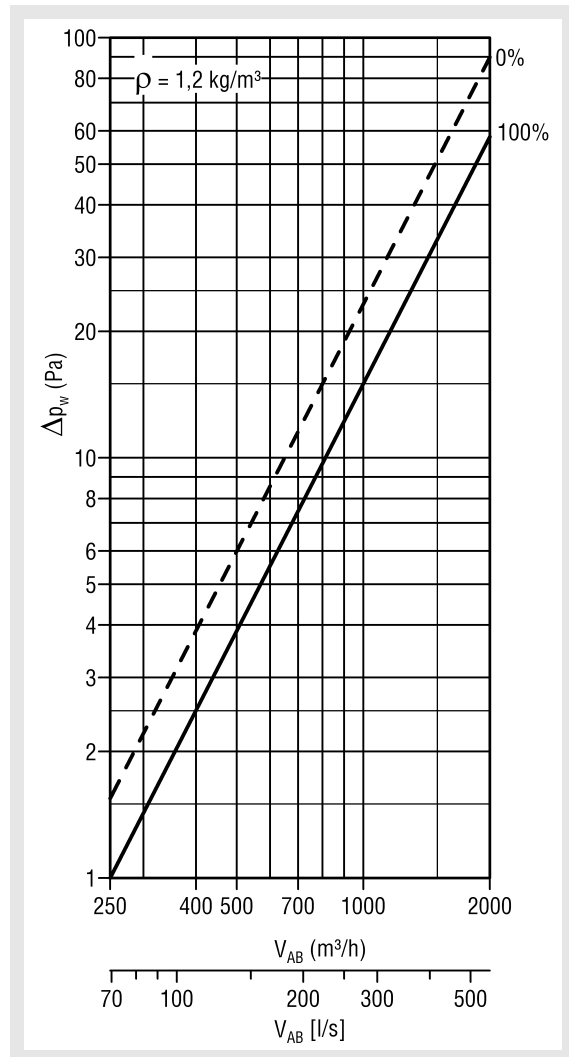


## Volumetric Flow Meter VME

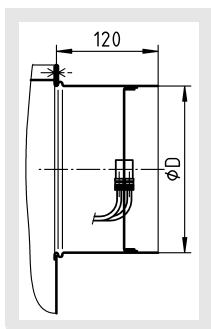
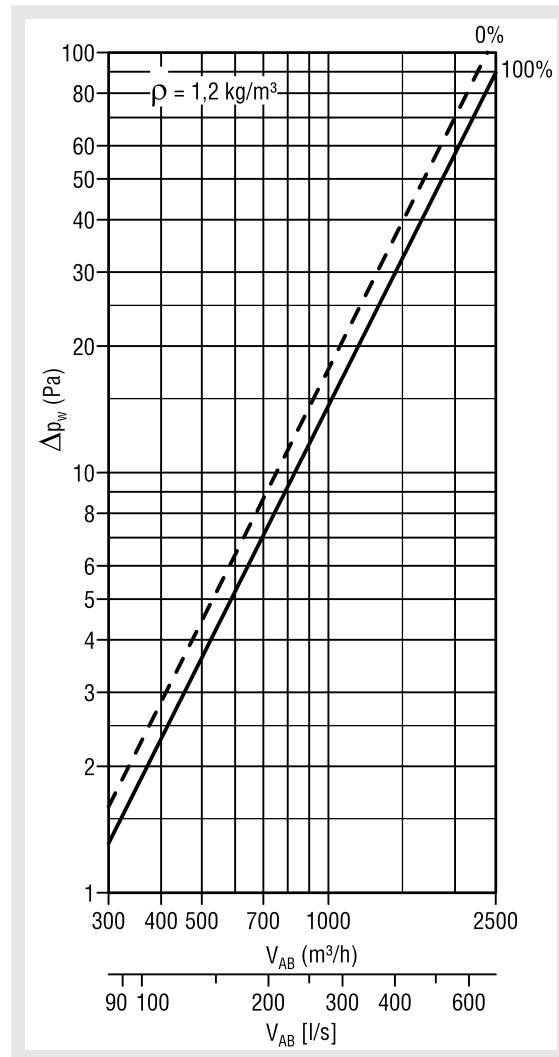
### Effective pressure (return air)

Volumetric flow meter VME integrated in the connection piece of the plenum box

#### VME-A $\varnothing D=298$



#### VME-A $\varnothing D=353$



#### Damper position:

- 100 % = OPEN
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#### Legend

- $V_{AB}$  (m³/h) = Return air volume
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- $\rho$  (kg/m³) = Density
- $\Delta p_w$  (Pa) = Effective pressure